

Get Ready!



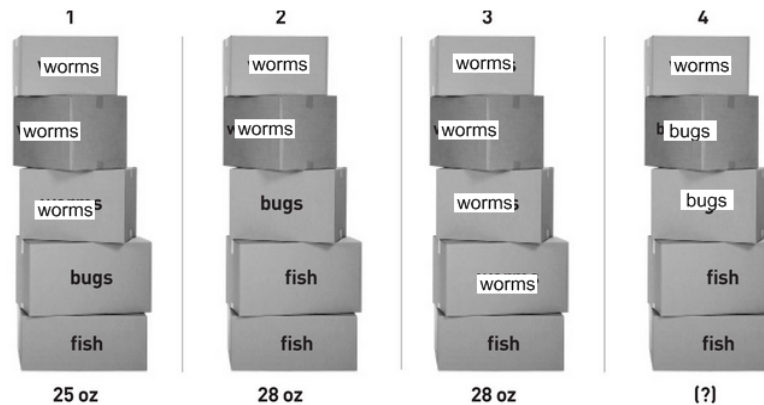
BIG idea Modeling

ESSENTIAL QUESTION Can systems of equations model real-world situations?

- Students will write equations and inequalities to represent situations.
- Students will examine constraints placed on real-world situations.

Can You Solve the Bait Box Puzzle?

What is the weight of the fourth order?



Solve each equation. If the equation is an identity, write *identity*. If it has no solution, write *no solution*.

1. $3(2 - 2x) = -6(x - 1)$

$$2 - 2x = -2(x - 1)$$

$$2 - 2x = -2x + 2$$

$$\checkmark -2x + 2 = -2x + 2$$

$$2 = 2$$

1. identity

2. $3p + 1 = -p + 5$

$$4p = 4$$

$$p = 1$$

2. 1

3. $4x - 1 = 3(x + 1) + x$

$$3x - 1 = 3(x + 1)$$

$$3x - 1 = 3x + 3$$

$$-1 = 3$$

3. no solution

4. $\frac{1}{2}(6c - 4) = 4 + c$

$$3c - 2 = 4 + c$$

$$2c - 2 = 4$$

$$2c = 6$$

$$c = 3$$

4. 3

Solve each equation. If the equation is an identity, write *identity*. If it has no solution, write *no solution*.

5. $5x = 2 - (x - 7)$

$$5x = 2 - x + 7$$

$$6x = 9$$

$$x = \frac{9}{6}$$


5. 1.5

6. $v + 5 = v - 5$

$$-v \quad -v$$

$$5 = -5$$

6. no solution

 Solving Inequalities

Solve each inequality.

7. $5x + 3 < 18$

$5x < 15$

7. $x < 3$

8. $-\frac{r}{5} + 1 \geq -6$

$-\frac{r}{5} \geq -7$

$7 \geq \frac{r}{5}$

$35 \geq r$

8. $r \leq 35$

9. $-3t - 5 < 34$

$-5 < 34 + 3t$

$-39 < 3t$

$-13 < t$

9. $t > -13$

10. $-(7f + 18) - 2f \leq 0$


$-7f - 18 - 2f \leq 0$

$-9f - 18 \leq 0$

$-18 \leq 9f$

10. $f \geq -2$

$-2 \leq f$

 Solving Inequalities

Solve each inequality.

11. $8s + 7 > -3(5s - 4)$

$$8s + 7 > -15s + 12$$

$$23s > 5$$

$$s > \frac{5}{23}$$

11. $s > \frac{5}{23}$

12. $\frac{1}{2}(x + 6) + 1 \geq -5$

$$\frac{1}{2}(x + 6) \geq -6$$

$$x + 6 \geq -12$$

$$x \geq -18$$

12. $x \geq -18$

Writing Functions

13. The height of a triangle is 1 cm less than twice the length of the base. Let x = the length of the base.
- Write an expression for the height of the triangle.
 - Write a function rule for the area of the triangle.
 - What is the area of such a triangle if the length of its base is 16 cm?

$$\frac{1}{2} b \cdot h$$



$$A = \frac{1}{2} b \cdot h$$

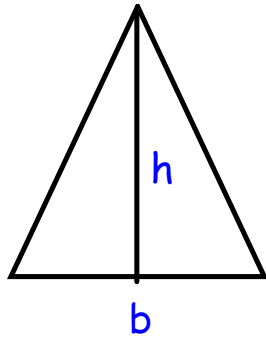
$$A = \frac{1}{2} x (2x - 1)$$

13. a. $2x - 1$
 b. $A = \frac{1}{2} x (2x - 1)$
 c. 248 cm^2

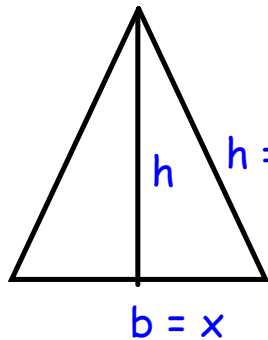
$16 \rightarrow x$	
$\frac{1}{2} x (2x - 1)$	16
■	248

Writing Functions

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$$A = 1/2(b)(h)$$



$$A = 1/2(b)(h)$$

$$h = 2x - 1$$

$$A = 1/2(x)(2x - 1)$$

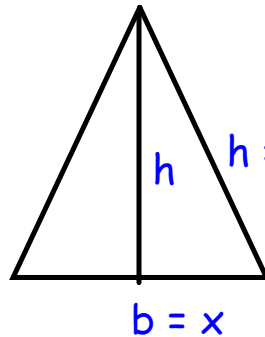
$$\begin{aligned} \text{If } x &= 16 \\ A &= 248 \text{ cm}^2 \end{aligned}$$

$$\frac{1}{2}(16)(2 \cdot 16 - 1)$$

$$248$$

Writing Functions

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- Write an expression for the height of the triangle.
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$$A = 1/2(b)(h)$$

$$A = 1/2(x)(2x - 1)$$

$$\begin{aligned} \text{If } x &= 16 \\ A &= 248 \text{ cm}^2 \end{aligned}$$

$$\begin{aligned} &1/2(16)(2*16-1) \\ &248 \end{aligned}$$

Let's suppose that we were going to reuse the formula

$$A = 1/2(x)(2x - 1)$$

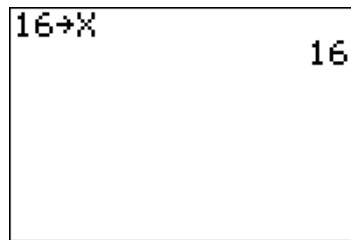
many times. There is a way to type in the formula once and then plug in a value for x .

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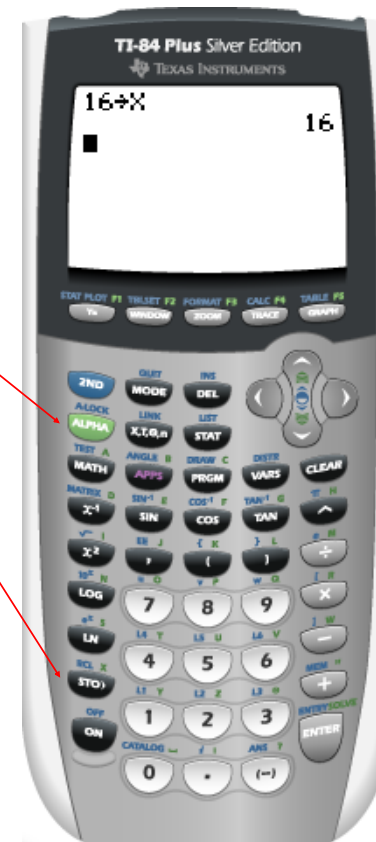
$$A = 1/2(x)(2x - 1)$$

many times. There is a way to type in the formula once and then plug in a value for x.

Above the **STO>** key is a way to access a variable we can call **x**

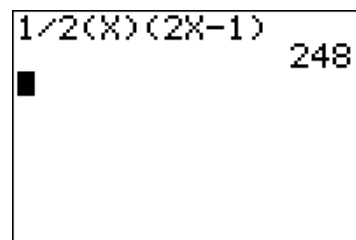
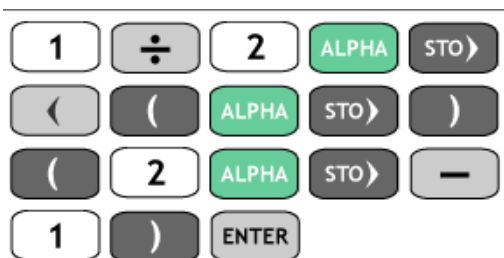


We can use x in any expressions we would like, for example here is the value of 2x:

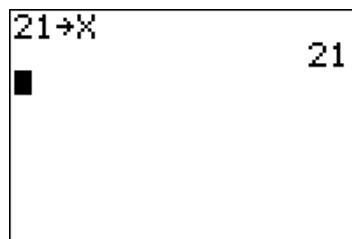


Since 16 is already stored in variable x, we can use the calculator and type in:

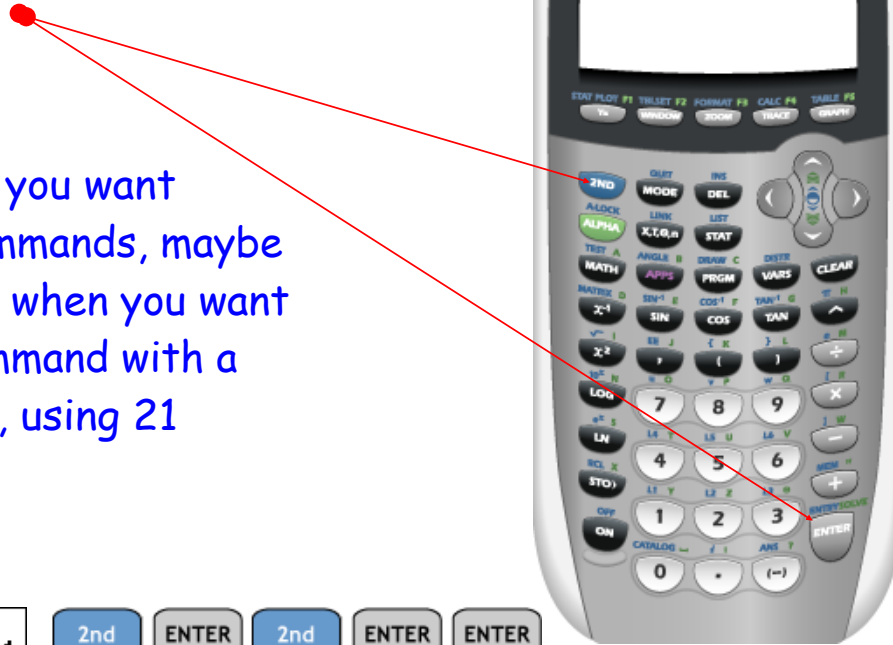
$$A = 1/2(x)(2x - 1)$$



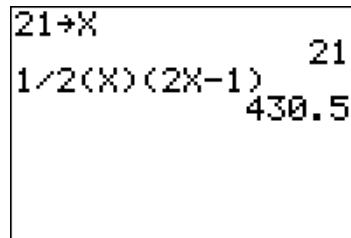
Now if we wanted to use a different value of x, suppose we wanted to know what the area of this particular triangle would be if the base is 21 cm, then we can store a new value of x, and re-use the same command without re-typing the formula.



You can access the commands that you have previously used, by using



This is handy when you want to edit previous commands, maybe to fix a mistake, or when you want to re-execute a command with a new value (like now, using 21 instead of 16)



Notice that **2nd** **ENTER** was used twice, the first time recalls the command that set the value of x to 21, and the second time recalls the command that used the formula.

Graphing Linear Equations

Graph each equation.

14. $2x + 4y = -8$

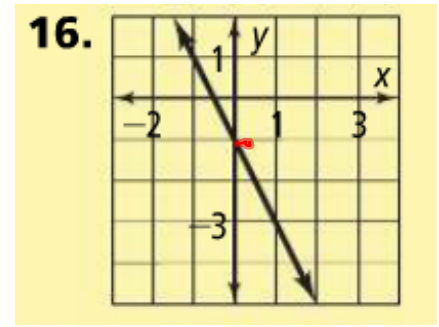
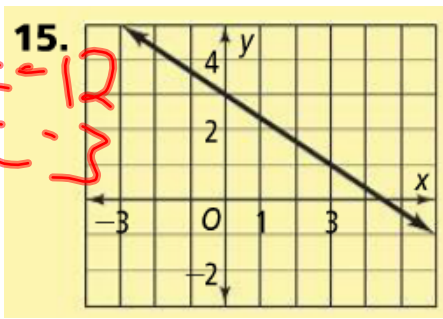
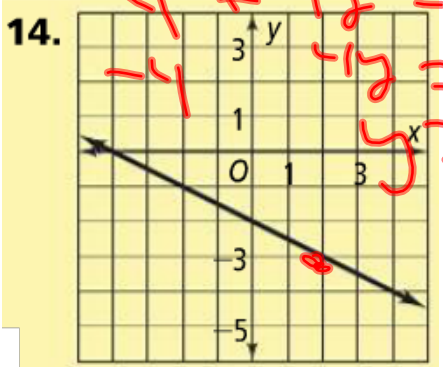
15. $y = -\frac{2}{3}x + 3$

16. $y + 5 = -2(x - 2)$

$4(-2) = -8 = y$
 $\therefore y = -8 = x$

$y + 5 = -2x + 4$
 $y = -2x - 1$

$2x + 4y = -8$
 $2(2) + 4(y) = -8$
 $4 + 4y = -8$
 $4y = -12$
 $y = -3$



Looking Ahead Vocabulary

17. Two answers to a question are said to be *inconsistent* if they could not both be true. Two answers to a question are said to be *consistent* if they could both be true. If there is no solution that makes both equations in a system of two linear equations true, do you think the system is *inconsistent* or *consistent*?

17. inconsistent